

# Models of the CO background via Measurements of the Cosmic Infrared Background

Marco Viero — KIPAC/Stanford

w/

Lorenzo Moncelsi, Jason Sun (Caltech),  
Dongwoo Chung (KIPAC/Stanford)  
and the COMAP and TIME Collaborations

# Motivation: Typical CO Model Design

Tony Li et al. 2016

$$L_{\text{CO}} = 4.9 \times 10^{-5} L_{\odot} \left( \frac{\nu_{\text{CO,rest}}}{115.27 \text{ GHz}} \right)^3 \left( \frac{L'_{\text{CO}}}{\text{K km s}^{-1} \text{ pc}^2} \right) \quad (4)$$

where  $\nu_{\text{CO,rest}} = 115.27 \text{ GHz}$  is the rest-frame frequency of the CO transition.

To resummarize the model:

1. Halos  $\rightarrow$  SFR: Get  $\overline{\text{SFR}}(M, z)$  from the results of Behroozi et al. (2013a)
2. Add log-scatter,  $\sigma_{\text{SFR}}$
3. SFR  $\rightarrow L_{\text{IR}}$ : Get  $L_{\text{IR}}$  from  $\text{SFR} = \delta_{\text{MF}} \times 10^{-10} L_{\text{IR}}$
4.  $L_{\text{IR}} \rightarrow L'_{\text{CO}}$ : Get  $L'_{\text{CO}}$  from  $\log L_{\text{IR}} = \alpha \log L'_{\text{CO}} + \beta$
5. Add log-scatter,  $\sigma_{L_{\text{CO}}}$

with fiducial parameter values:

$$\begin{aligned} \sigma_{\text{SFR}} &= 0.3, \quad \sigma_{L_{\text{CO}}} = 0.3, \\ \delta_{\text{MF}} &= 1.0, \quad \alpha = 1.37, \quad \beta = -1.74. \end{aligned}$$

Figure 2 shows the combined result of these steps, plotting the mean  $L_{\text{CO}}(M_h)$  relation from our fiducial model, as well as the equivalent relation from previous studies. Notably,  $L_{\text{CO}}$  in this model is not linear in  $M$ , a simplifying assumption that has

Not all halos the same (assembly bias): Add scatter.

Not all galaxies star-forming: Add scatter.

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Stellar Mass —  $M^*$

Use empirically derived

$L_{\text{IR}}(z, M^*)$

with fiducial parameter values:

$$\sigma_{\text{SFR}} = 0.3, \sigma_{L_{\text{CO}}} = 0.3,$$

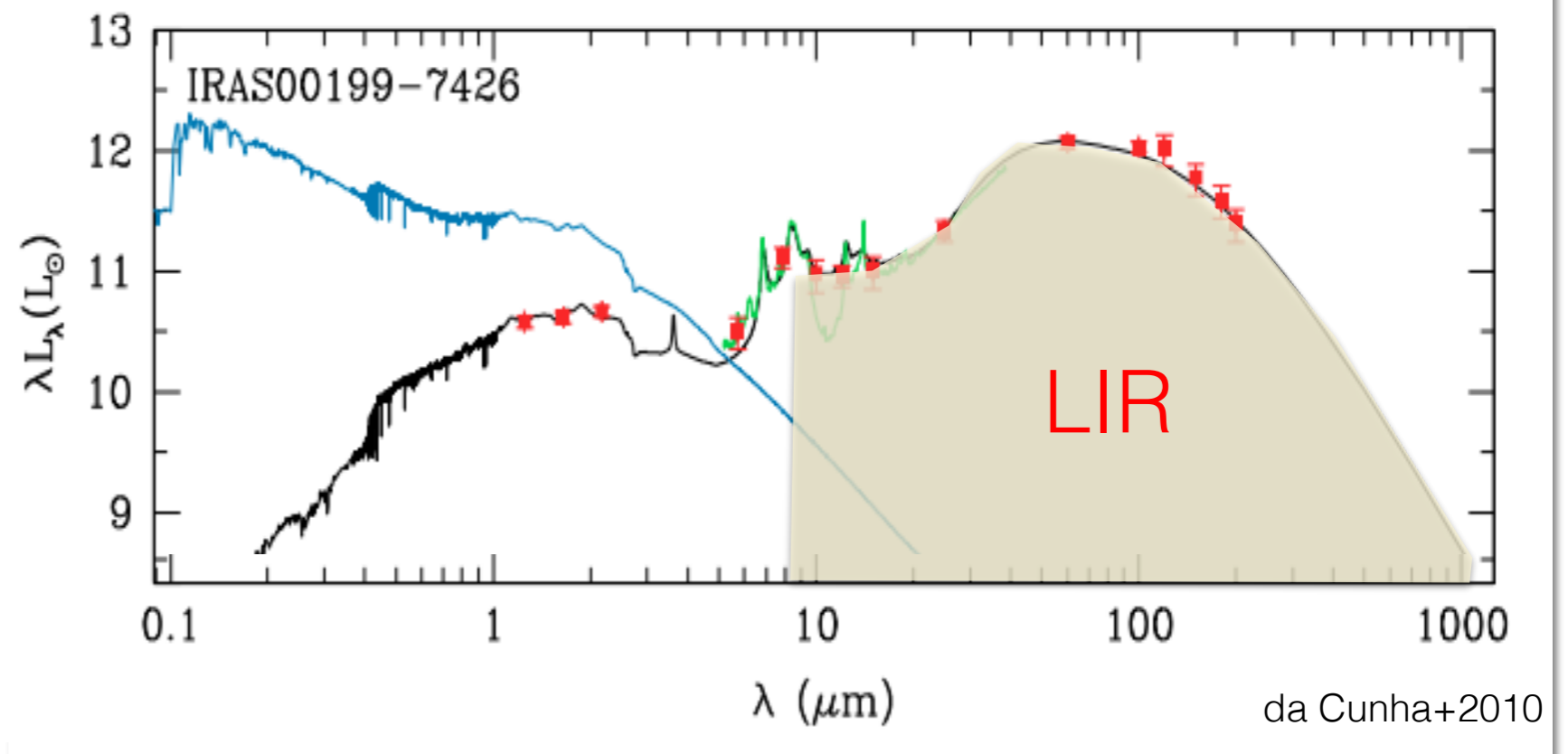
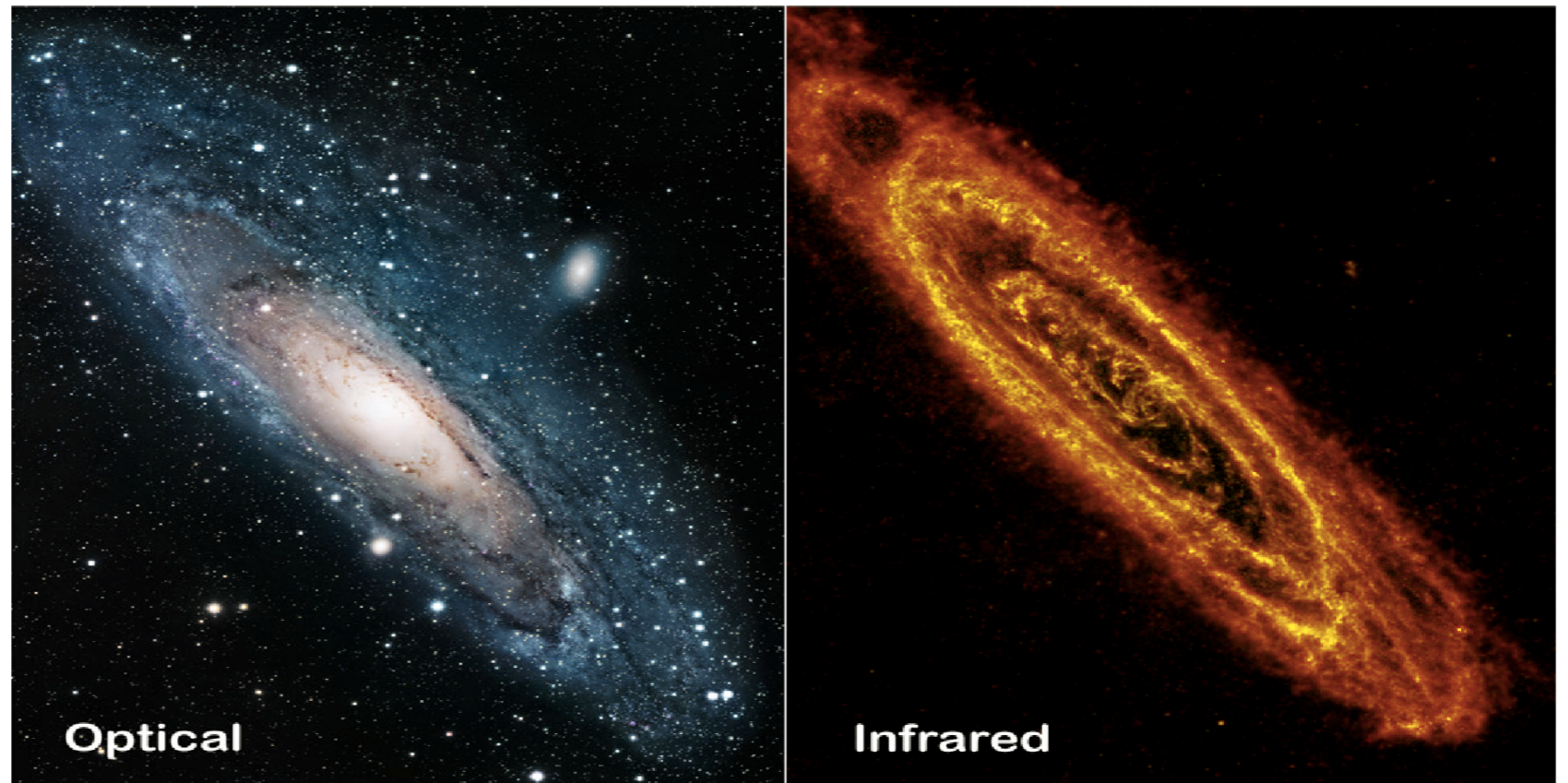
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# Challenge

- Infrared/Submillimeter emission reprocessed starlight by dust
- IR/Submm traces star formation
- Half the emission is tied up in dust
- Want to know:

→ what about the Optical SED predicts the Thermal Infrared



# Challenge: Source Confusion

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z-band



# Solution

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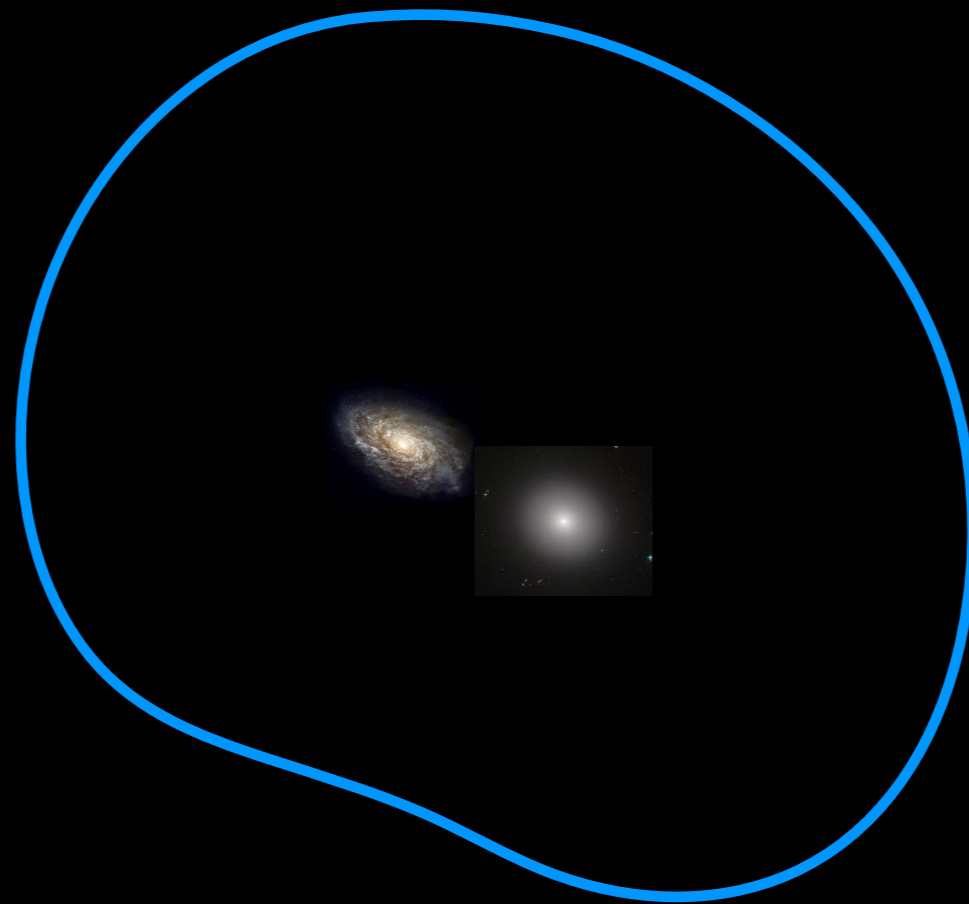
## Use:

- The fact that intensity fluctuations contain signal
- *Ancillary Data*
- Creativity + Statistics

GOODS-S  
Half 1

GOODS-S  
Half 2

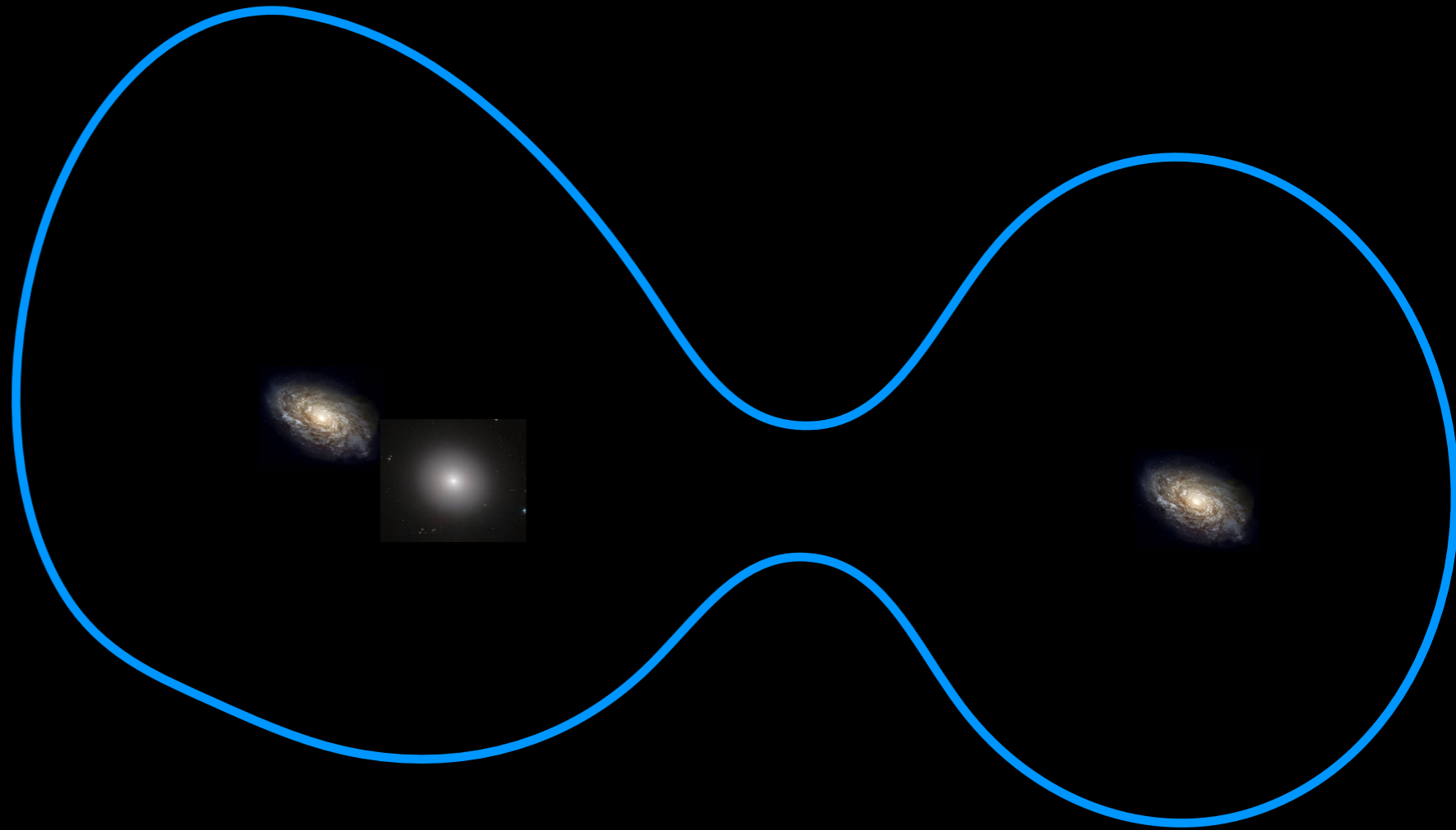
## SPIRE Contour



- Difficult to attribute an individual submillimeter “source” to any single galaxy



SPIRE Contour



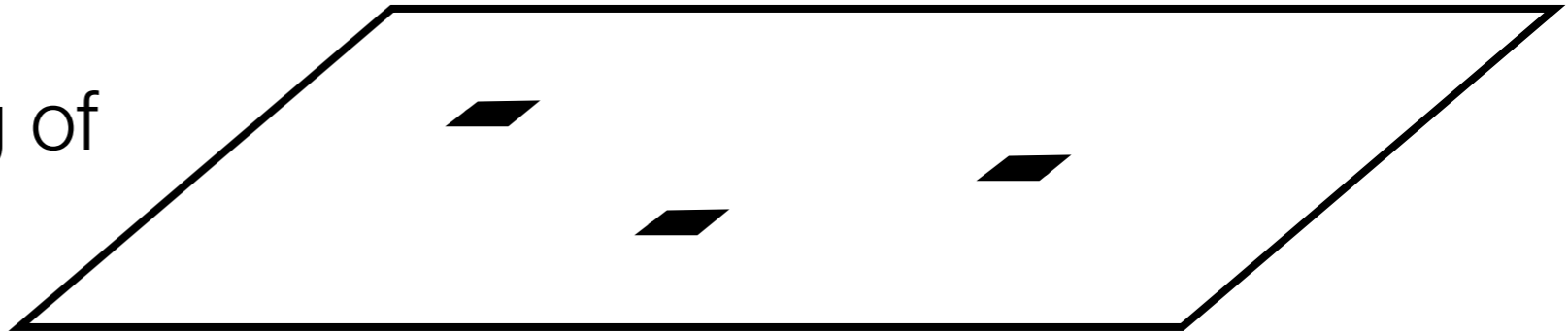
- Key is to identify galaxies with similar *physical* properties, and then rely on ***statistics to fit fluctuations***



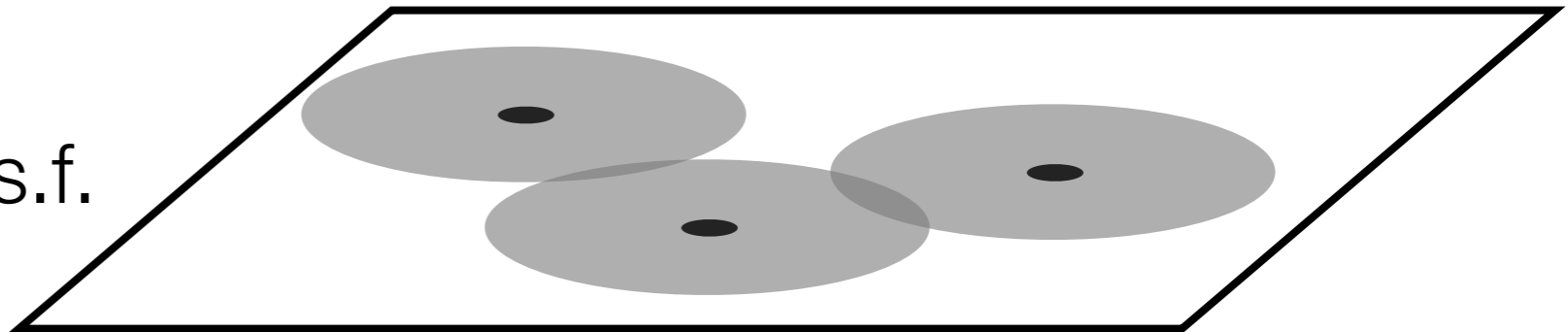
# SIMSTACK: Simultaneous Stacking Algorithm

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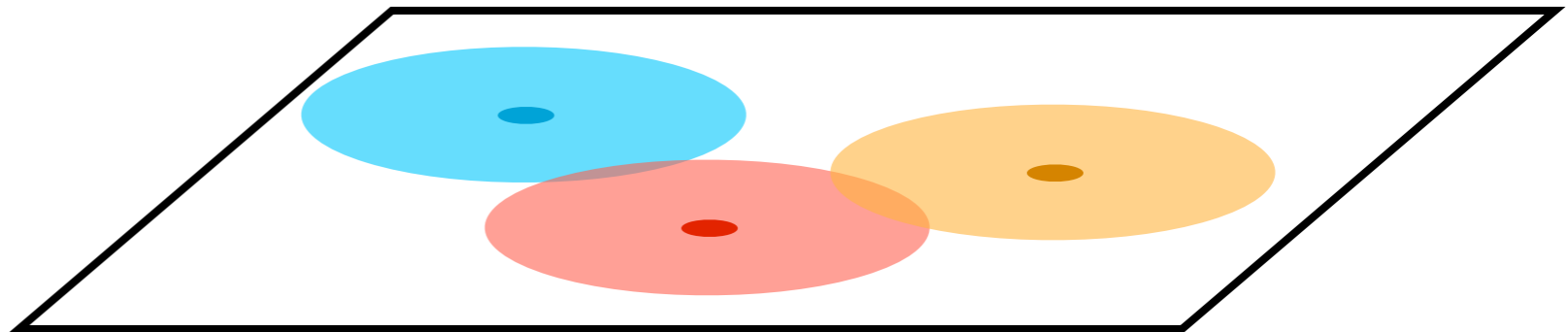
make hits map from catalog of similar objects



convolve with instrument p.s.f.



regress to find *mean* flux density,  $S$



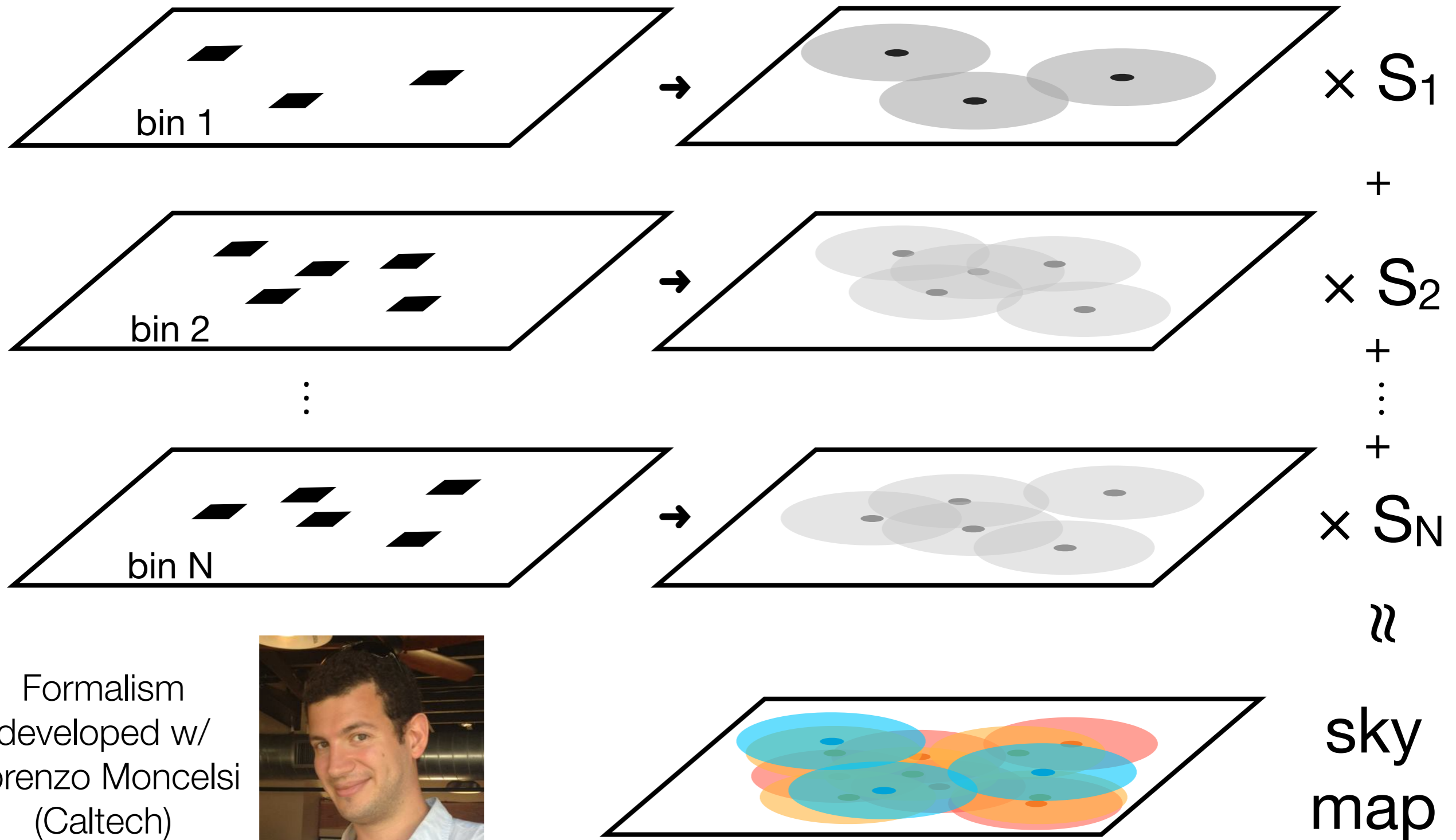
Formalism developed w/ Lorenzo Moncelsi (Caltech);  
also see Kurczynski & Gawiser (2010), Roseboom et al. (2010)

**SIMSTACK code publicly available (see arXiv:1304.0446):**

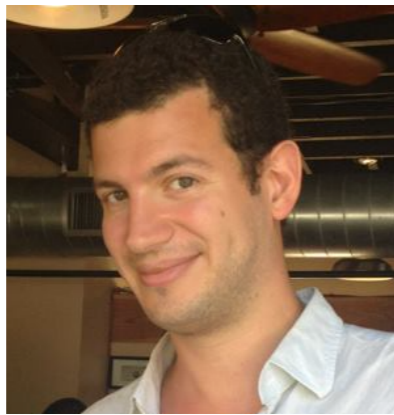
**IDL (old) — <https://web.stanford.edu/~viero/downloads.html>**

**Python — <https://github.com/marcoviero/simstack>**

# SIMSTACK: Simultaneous Stacking Algorithm



Formalism  
developed w/  
Lorenzo Moncelsi  
(Caltech)

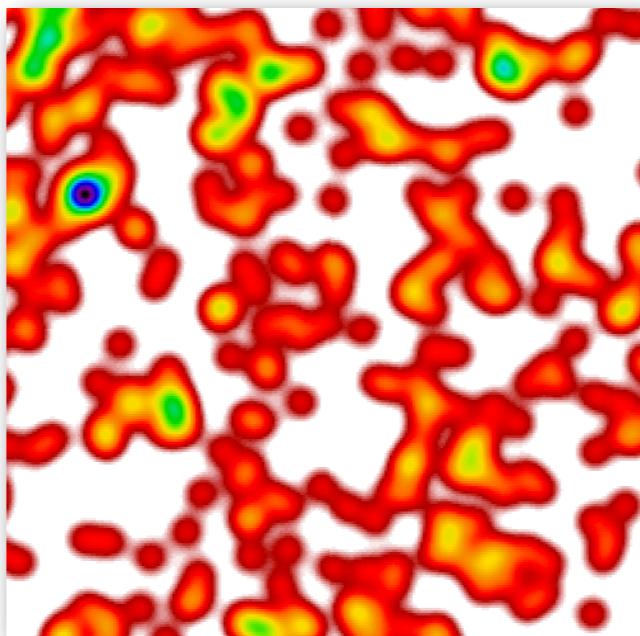
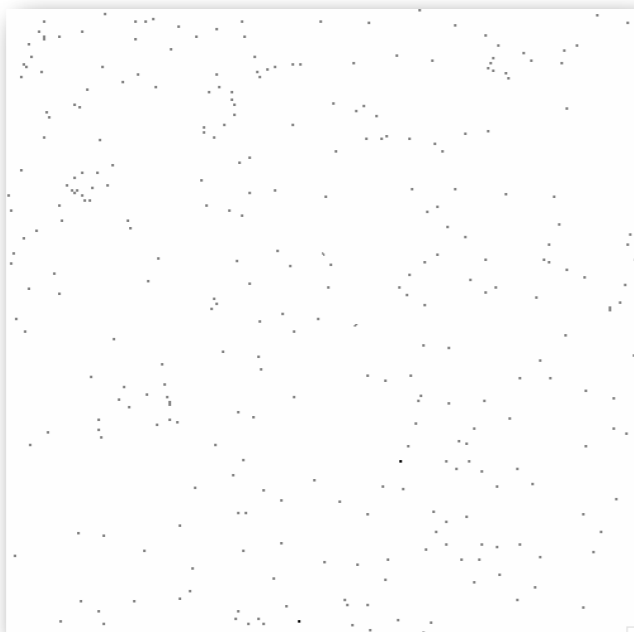


**SIMSTACK code publicly available (see arXiv:1304.0446):**

**Python — <https://github.com/marcoviero/simstack>**

$z=1.0$  to  $1.5$

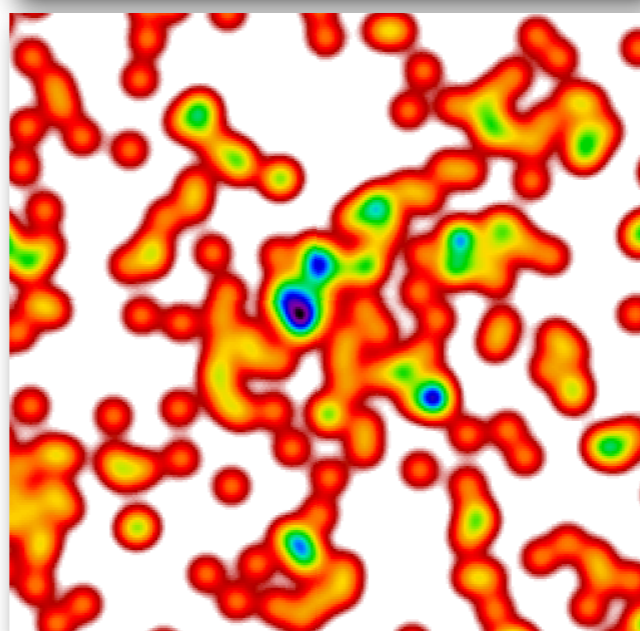
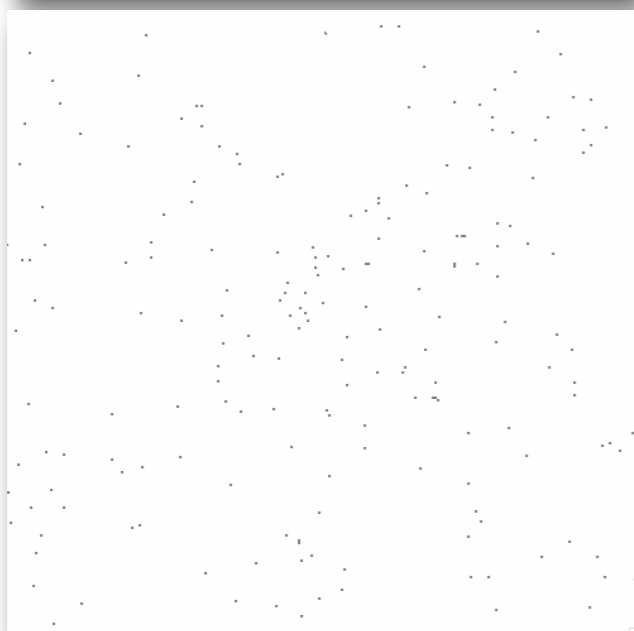
$M = 9.5-10$   
X Y  
996 1009  
55 1011  
187 1010  
501 1011  
336 1012  
127 1011  
⋮



$\times S_1$

+

$M = 10-10.5$   
X Y  
535 1026  
345 1029  
340 1029  
517 1027  
805 1031  
805 1031  
⋮



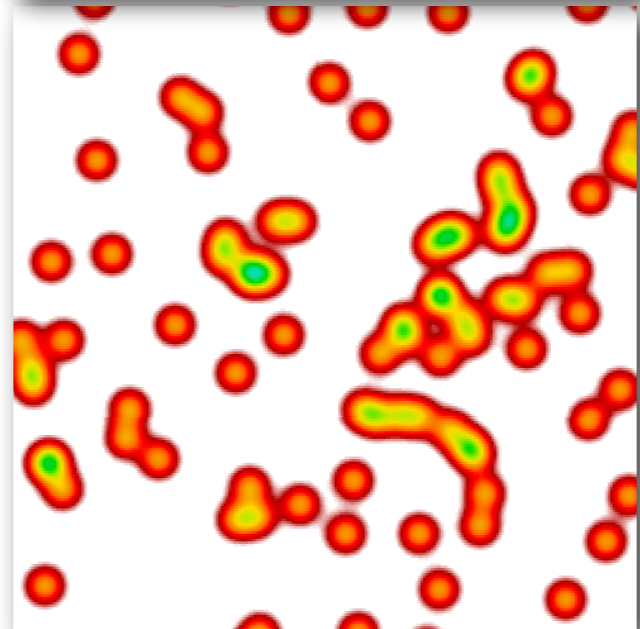
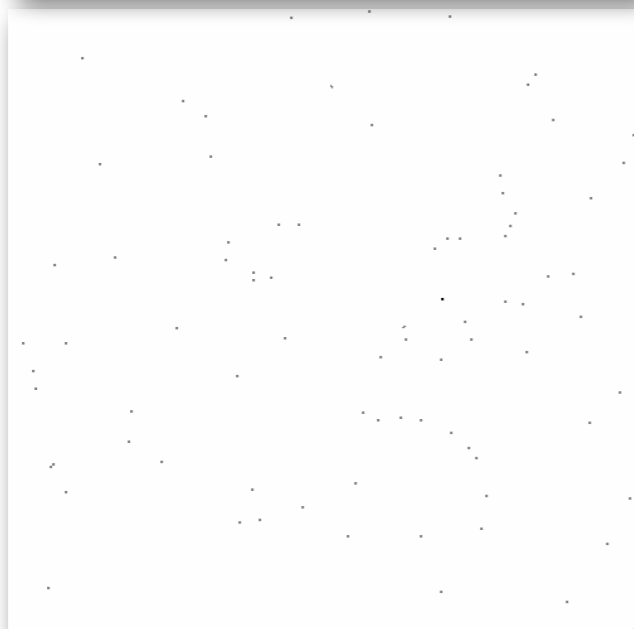
$\times S_2 \approx$

+

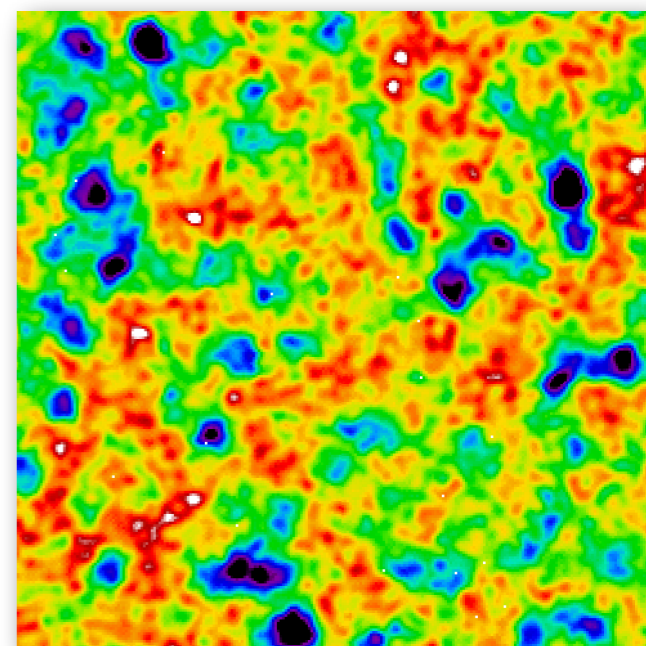
⋮

+

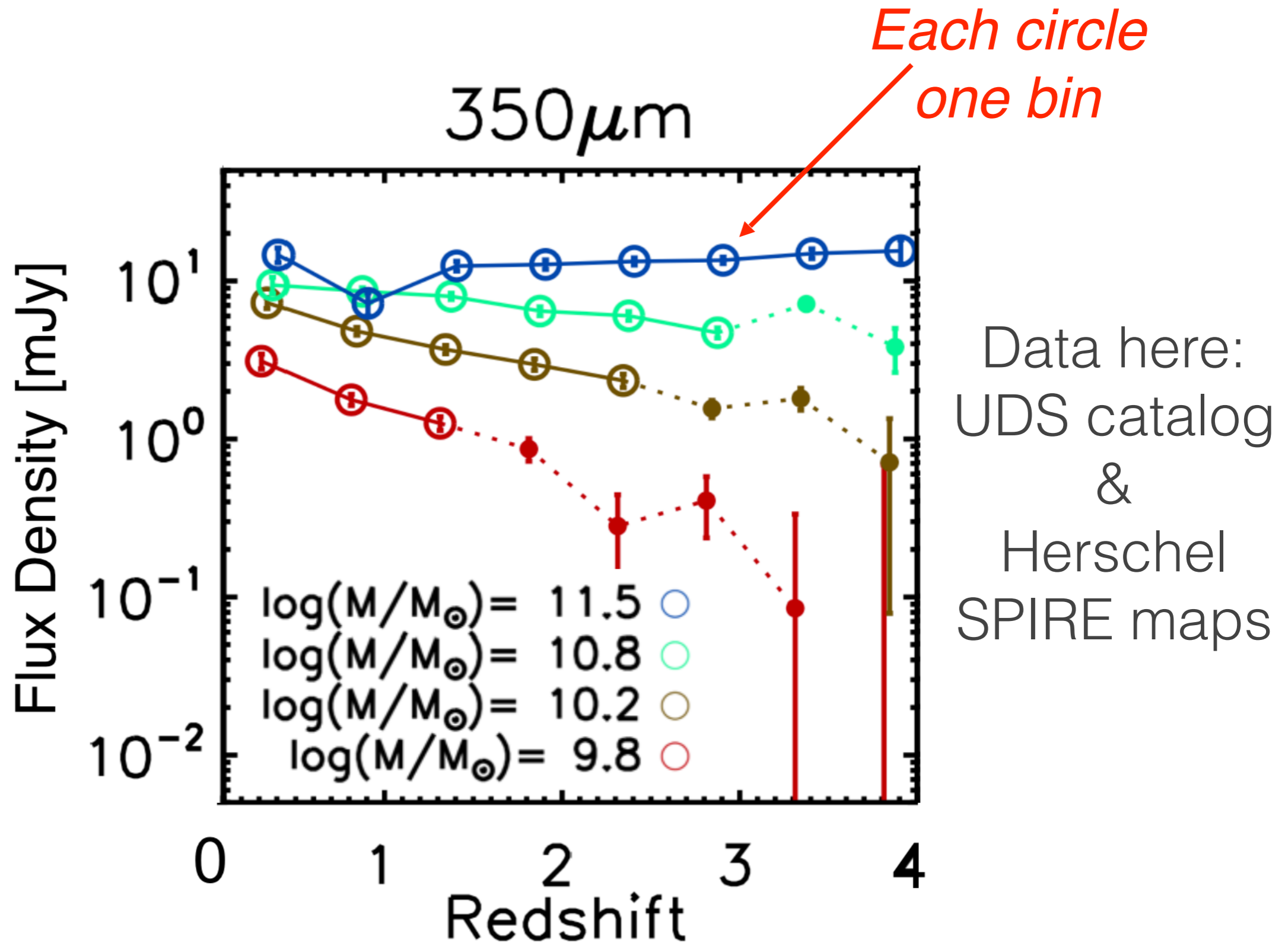
$M = 10.5-11$   
X Y  
345 1029  
340 1029  
517 1027  
805 1031  
805 1031  
238 1032  
359 1033  
841 1034  
⋮



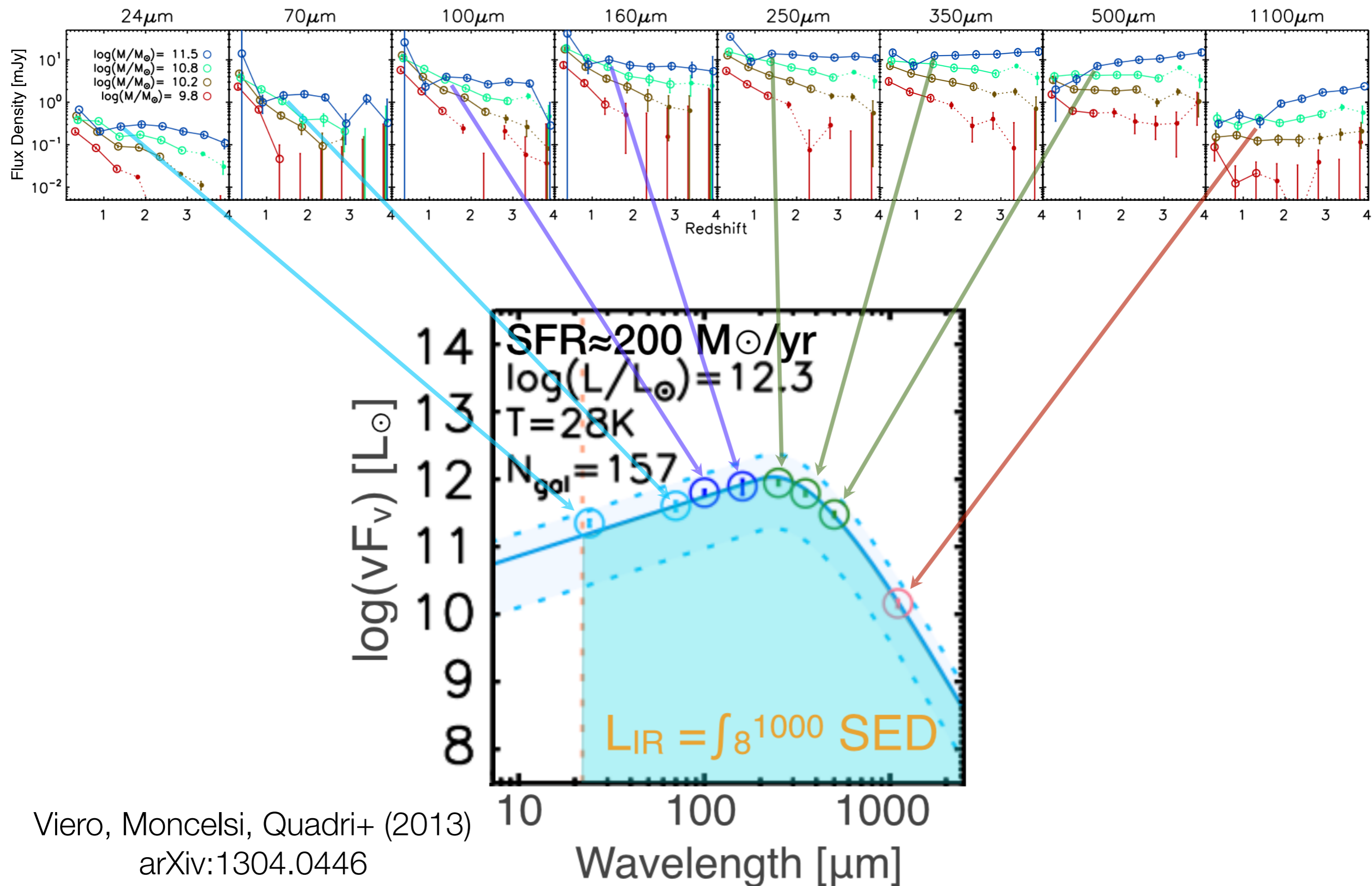
$\times S_N$



# SIMSTACK: Flux Densities (M,z)



# SIMSTACK: SEDs

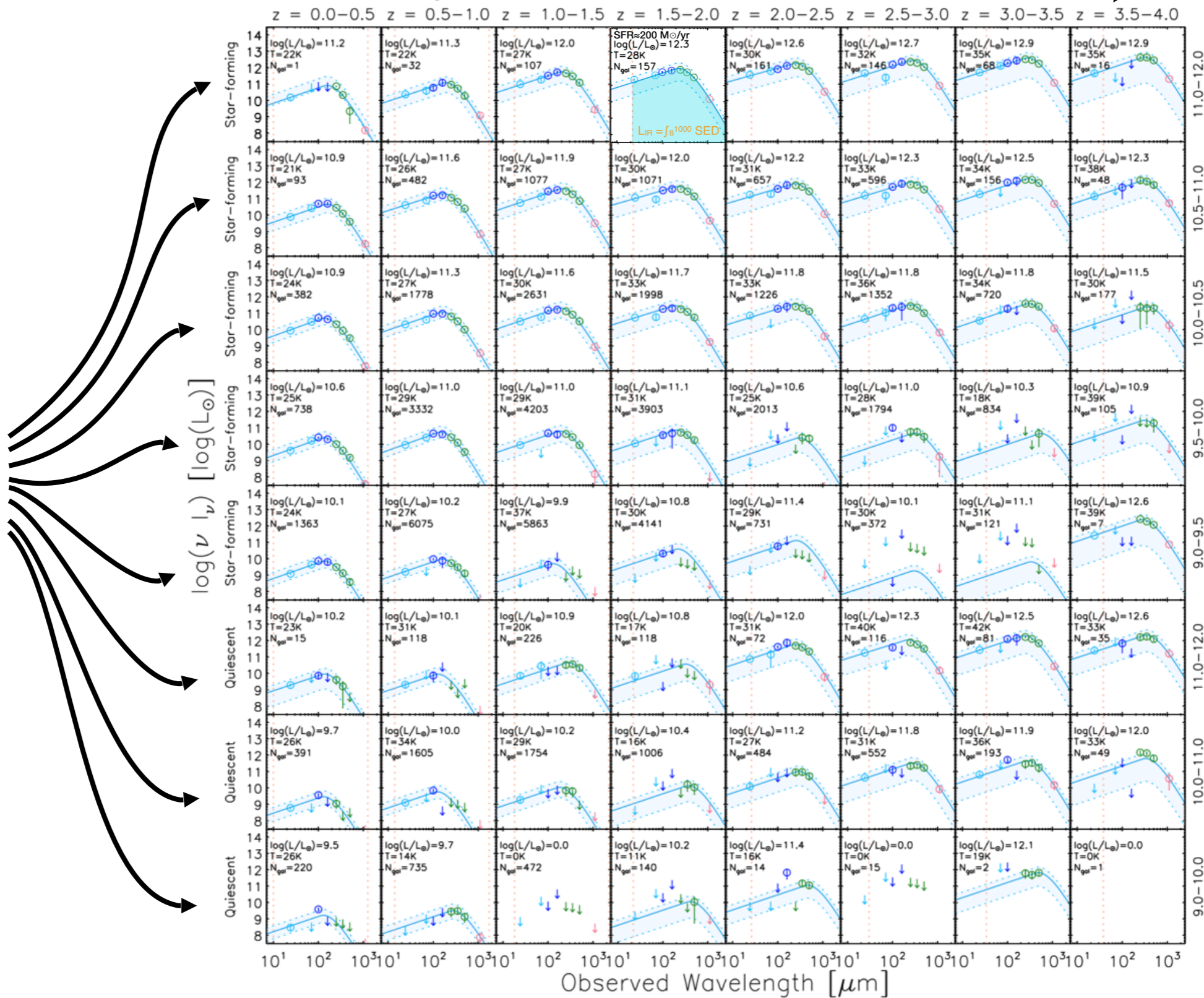


Viero, Monceli, Quadri+ (2013)  
 arXiv:1304.0446

# SIMSTACK: SEDs

redshift  
slices

stellar  
mass  
slices



# SIMSTACK: $L_{\text{IR}}(M, z, \dots)$

redshift  
slices

$z = 0.0-0.5$   $z = 0.5-1.0$   $z = 1.0-1.5$   $z = 1.5-2.0$   $z = 2.0-2.5$   $z = 2.5-3.0$   $z = 3.0-3.5$   $z = 3.5-4.0$

Assuming only  $L(M, z)$ ,  
i.e.; star-forming main sequence

- Deep ancillary data can be fit with SED models, providing:

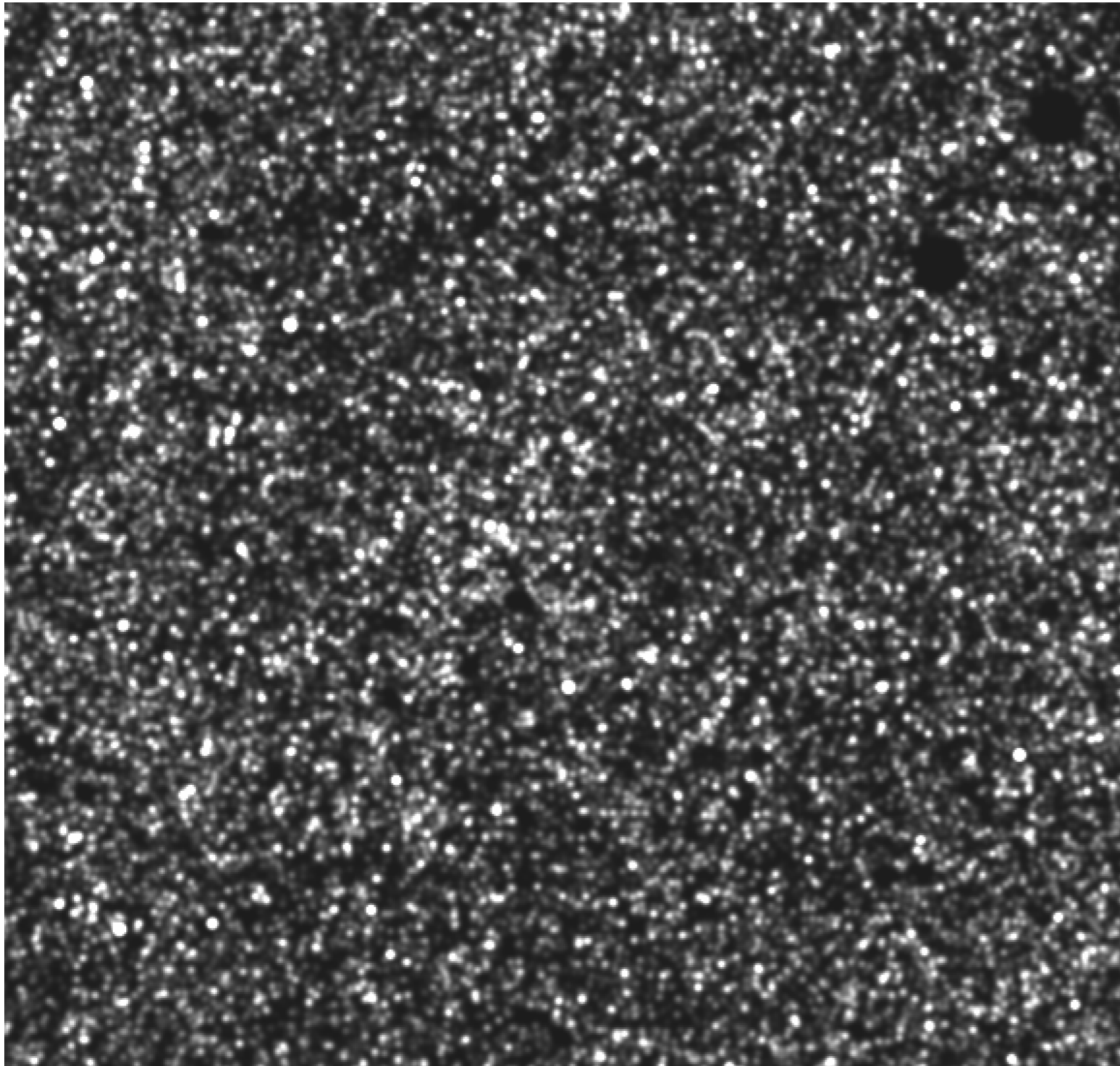
- Stellar Mass
- Redshift
- Extinction/UV slope
- AGN fraction
- Age/Tau...

Each bin therefore has  $\langle M \rangle, \langle z \rangle, \langle A_v \rangle, \langle F_{agn} \rangle$ , etc., which can be fit with function of form:

- $L_{\text{IR}} = P(z)^\alpha P(M)^\beta P(A_v)^\gamma \dots$

# SIMSTACK: $L_{\text{IR}}(M, z, A_v, F_{\text{agn}})$

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Fit can be improved by splitting the sample into finer subsamples, isolating e.g.;

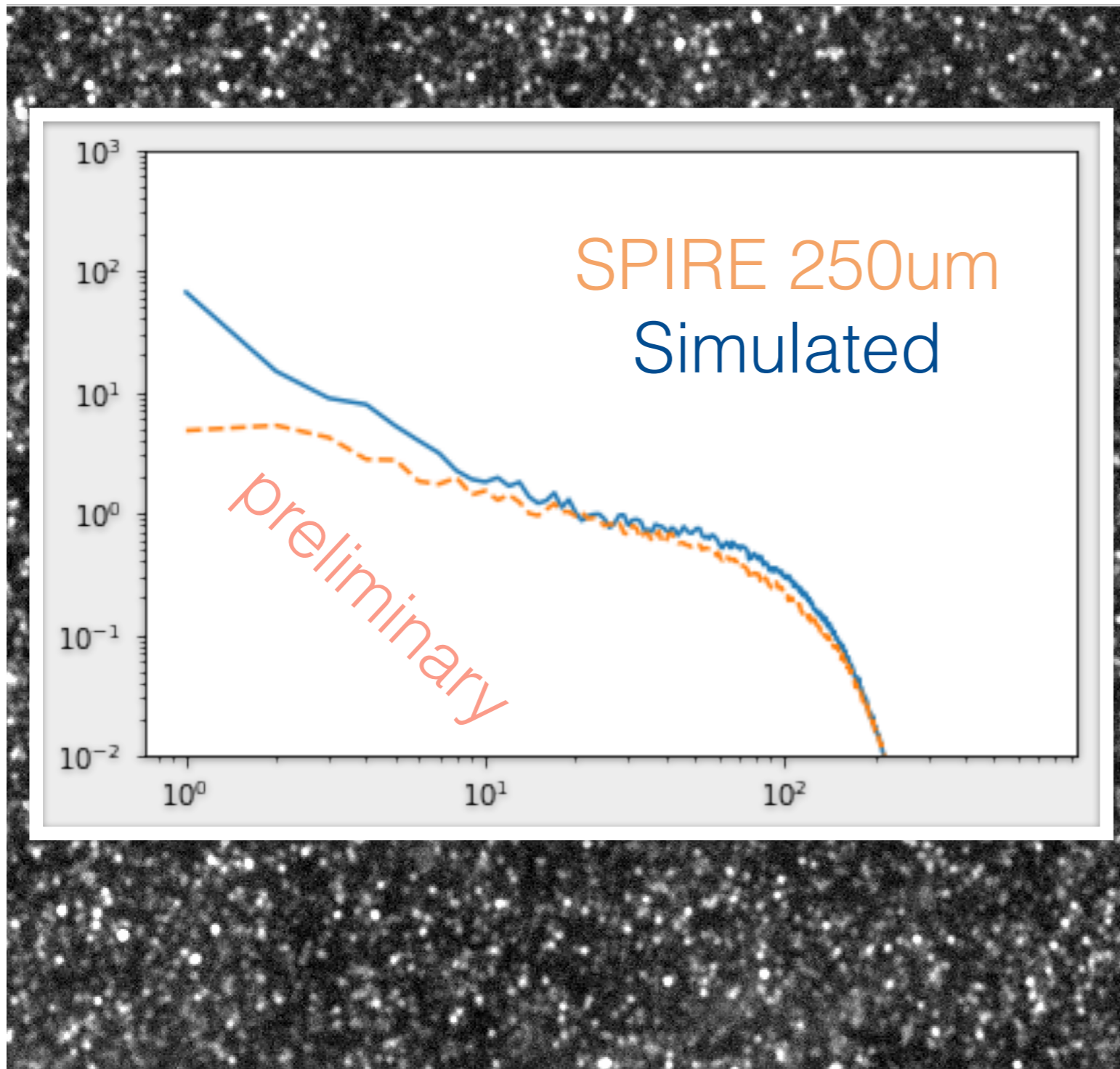
- Star-forming/Quiescent
- AGN
- Starbursts

We find features most influential are, for 4 subsamples:

- $\log(L_{\text{IR}}) = C + \alpha(z) \times \log(1+z) + \beta(z) \times \log(M) + \gamma(z) \times \log(A_v) + \delta(z) \times \log(F_{\text{agn}})$



# SIMSTACK: $L_{\text{IR}}(M, z, A_v, F_{\text{agn}})$



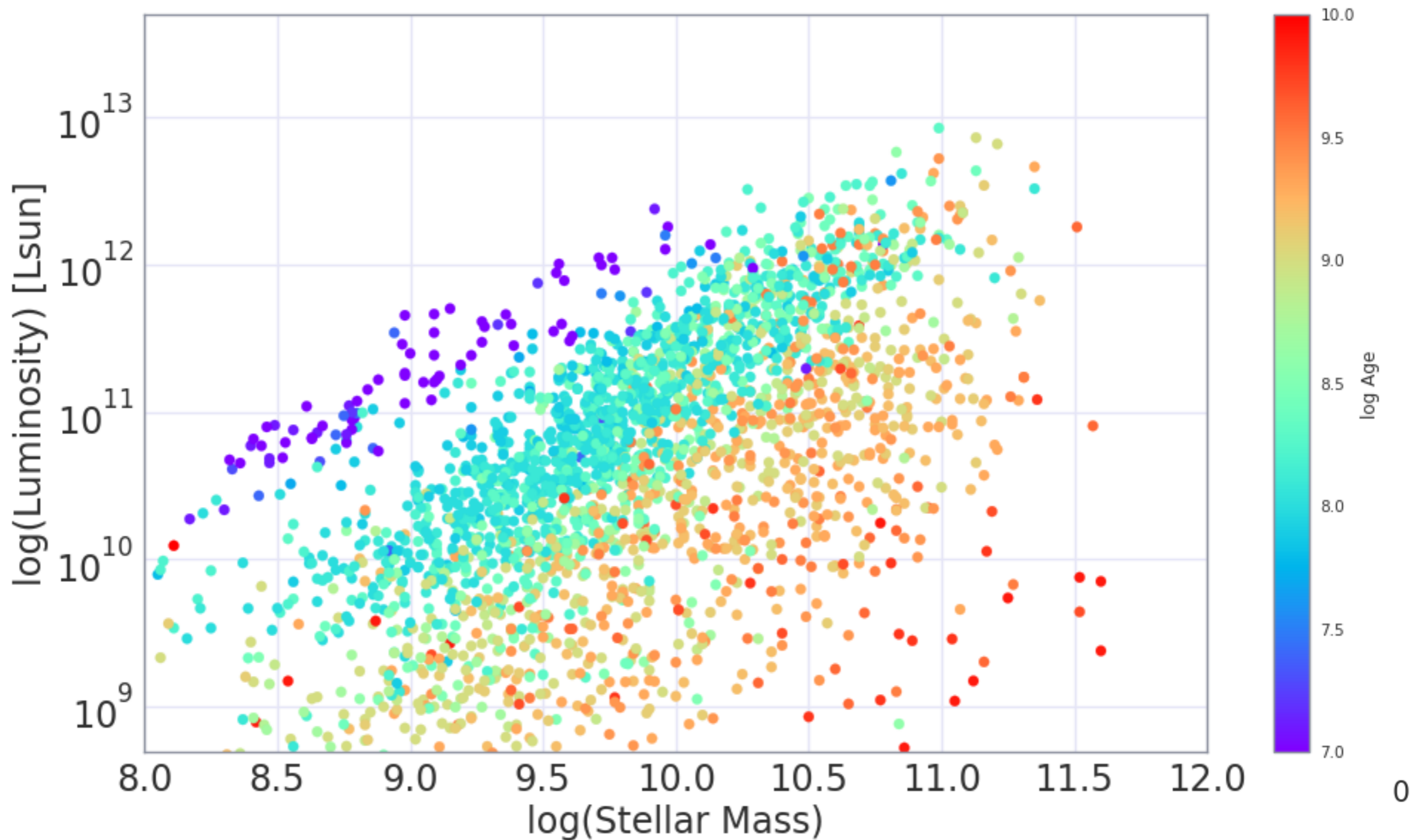
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# SIMSTACK: $L_{\text{IR}}(M, z, A_v, F_{\text{agn}})$



# Applications

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- Signal

- ➔ Connect to Halo properties (including assembly bias) to:

- ▶ estimate CO levels,
    - ▶ construct covariances,
    - ▶ test different estimators (i.e., beyond power spectrum),
    - ▶ Details being discussed during this meeting!

- ➔ Extend to other lines that correlate with thermal dust SED

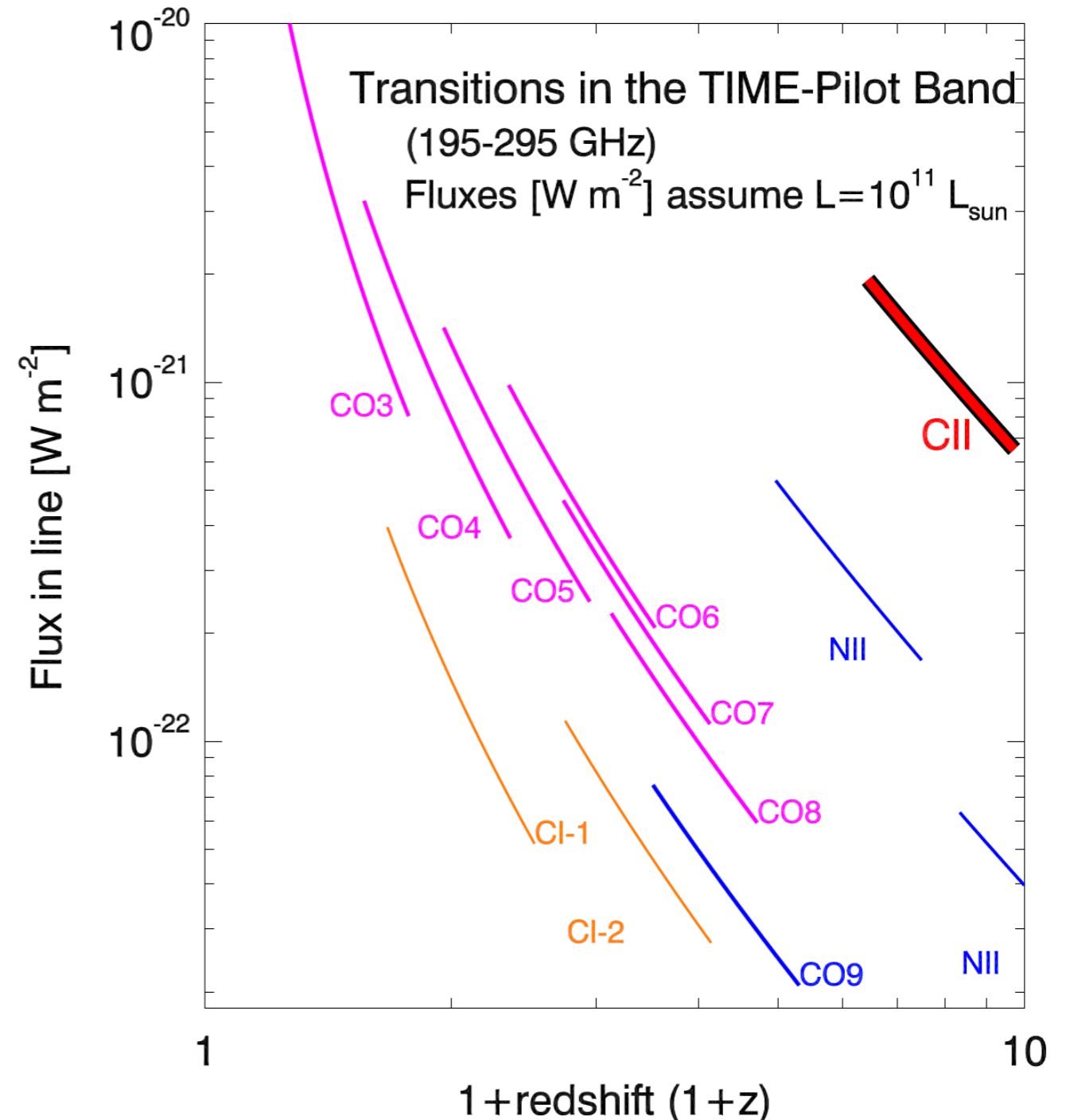
- ▶ CII, OII, OIII, NII
    - ▶ r.f. 850um as tracer of ISM Mass.

- Foregrounds

- ➔ Predict CO contamination in CII data cubes (e.g, Sun and the TIME collaboration, 2017)

# Masking CO in CII line-intensity maps

- Targeting CII at  $z = 6-10$  means separating signal from lower- $z$  CO.
- In deep fields (e.g., COSMOS, UDS, GOODS), all potentially significant CO emitters ( $z=1-3$ ) will be cataloged in the UV, optical, and NIR with great detail.
  - ➔ In these cases, we can construct an estimator for CO from optical predictors of the mean LIR.
  - ➔ How much variance is there from the mean, and how aggressively does masking need to be to play it safe?



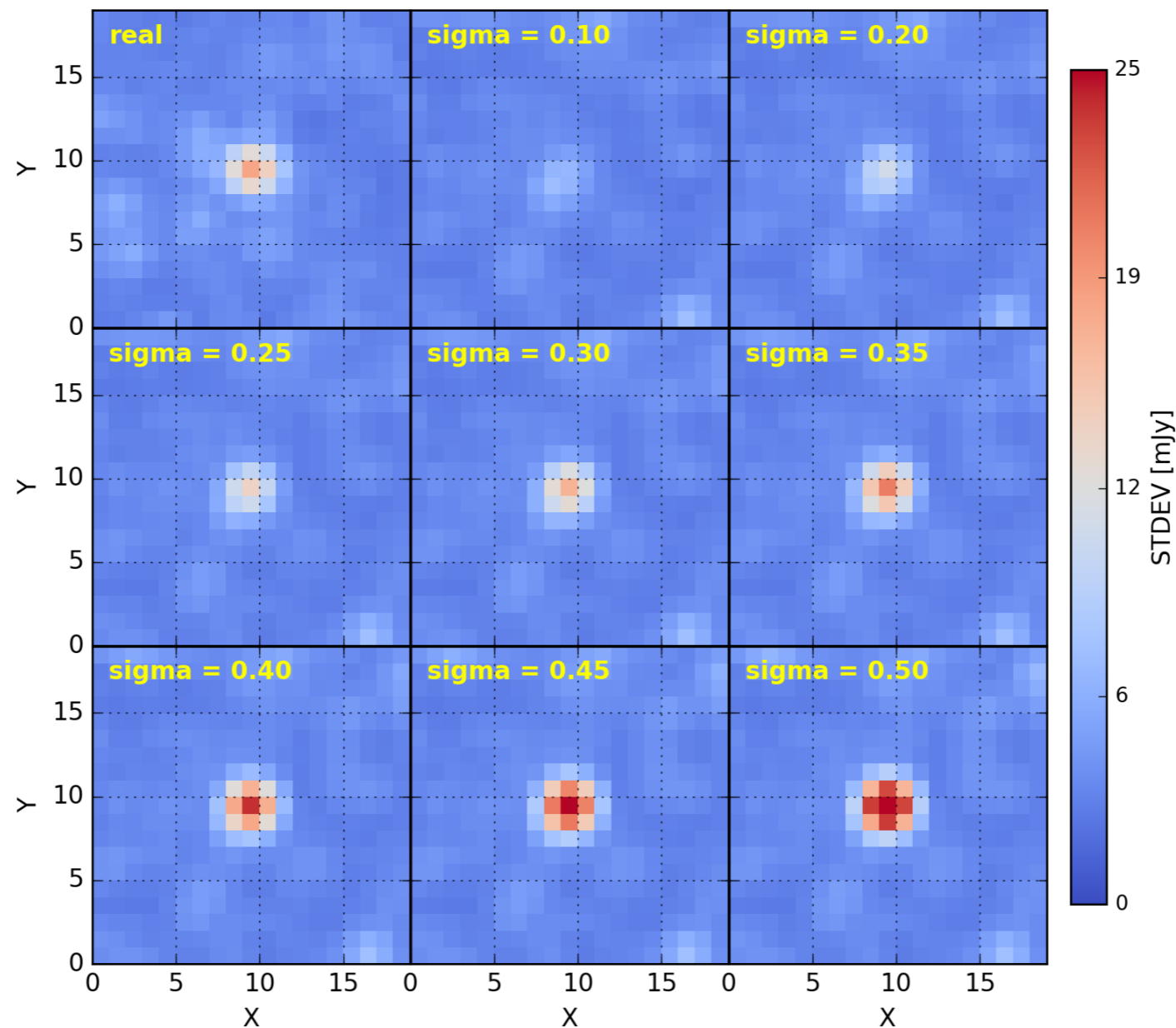
# Masking CO in CII data: Sun et al. 2017

Variance in the LIR estimator determined by comparing scatter in the difference map with simulations.

- Find  $\sigma = 0.33$



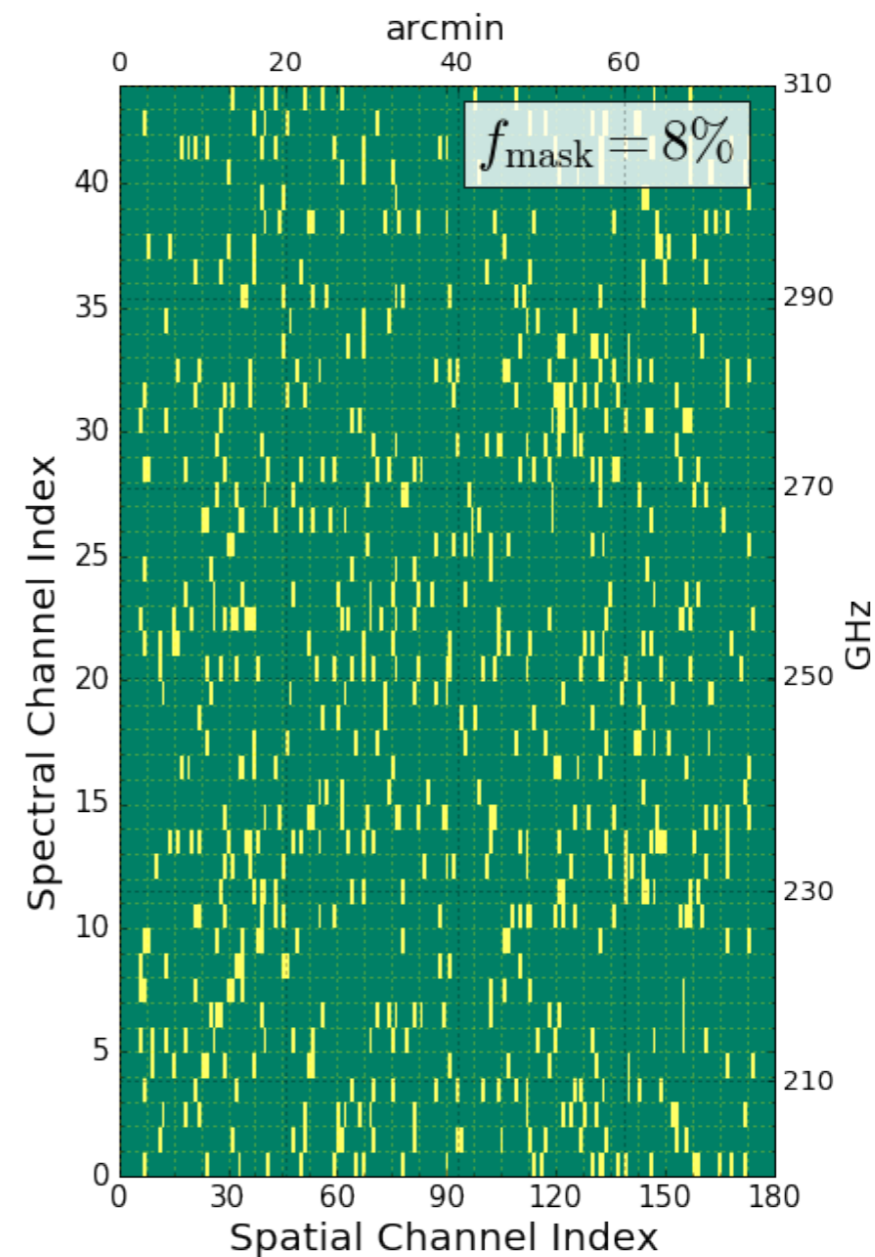
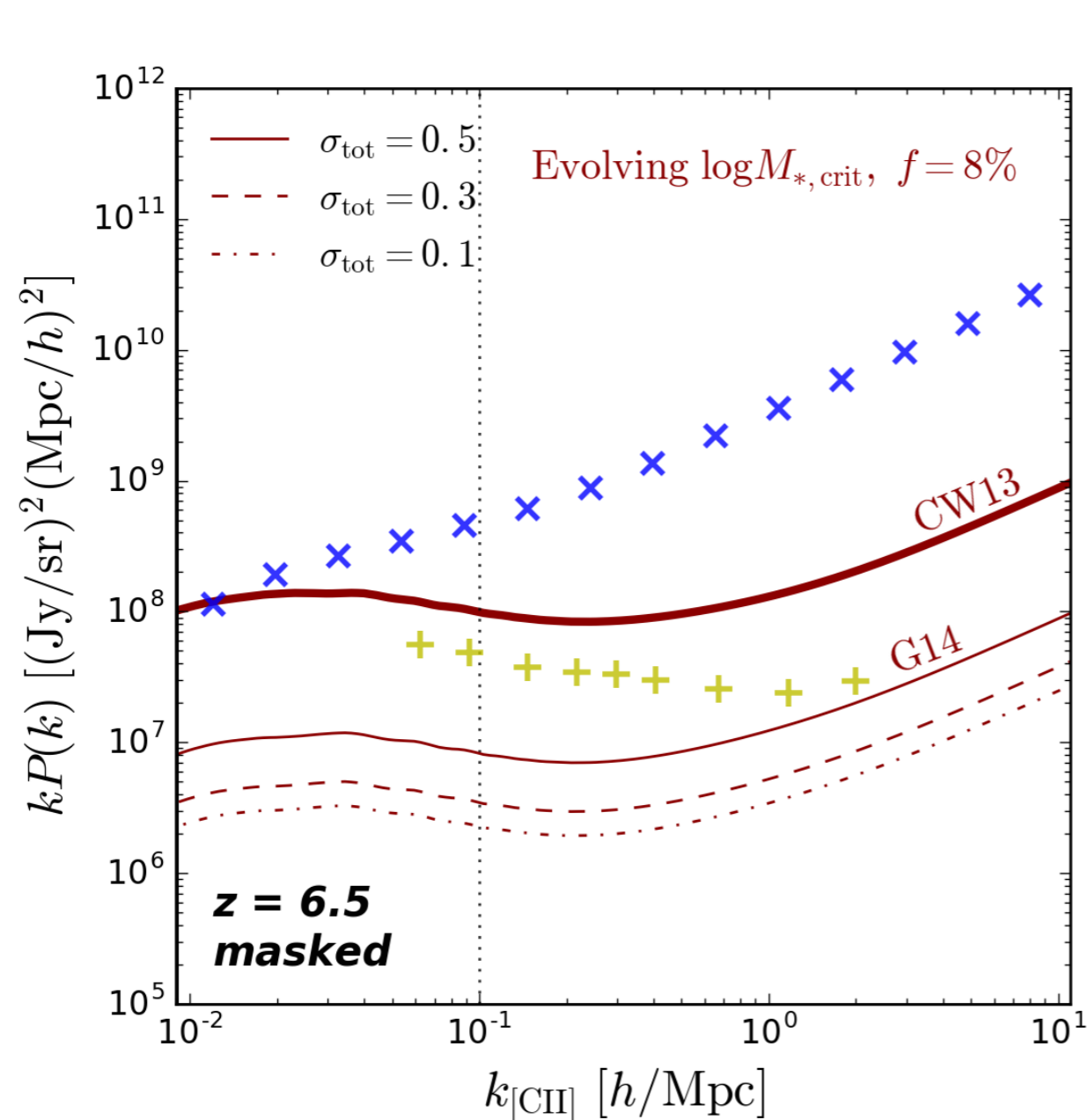
Guaocho (Jason)  
Sun



Lorenzo Moncelsi

Sun, Moncelsi, Viero & TIME collaboration 2017, arXiv:1610.10095

# Masking CO in CII data: Sun et al. 2017



Sun, Moncelsi, Viero & TIME collaboration 2017, arXiv:1610.10095

# Summary

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- CIB continuum intensities are key to empirically connecting optical features of typical galaxies to their FIR/submm components
- Applications for this model include:
  - ➔ Forecasting CO power for:
    - ▶ Survey design
    - ▶ Covariance construction
    - ▶ Testing Estimators
    - ▶ Measurement Interpretation
- For this workshop, would like to...
  - ➔ Determine how best to populate halos
  - ➔ Explore Estimators
- SIMSTACK is easy to use, and available at:
  - ➔ <https://github.com/marcoviero/simstack>